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ON THE ABSOLUTE CALIBRATION OF IUE HIGH RESOLUTION SPECTRA

#### I. INTRODUCTION

The absolute calibration of IUE low resolution spectra is obtained, as described by Bohlin et al. (1980), by comparing uncalibrated IUE low resolution spectra with spectra of a selected set of standard stars observed by OAO-2 and TD-1 (S2/68).

In this paper we intend to show that a reliable absolute calibration can also be achieved for IUE high resolution spectra. The method followed here is based on the comparison, at the different wavelengths, of IUE high resolution spectra with uncalibrated low resolution spectra of the same target. In order to prove that the obtained calibration is independent of the kind of target used, an heterogeneous sample of representative spectra was analyzed including some of the IUE calibration standards as well as cooler stars, peculiar stars and emission line objects for which both high and low resolution suitable spectra obtained through the IUE large entrance aperture were available.

#### II. METHOD

Let us indicate with  $n_{\lambda}$ , the slit-integrated net Flux Number per time unit (sec) extracted from an IUE low resolution spectrum of a given target obtained through the large aperture. The corresponding absolute flux will be:

$$F_{\lambda} = n_{\lambda} S_{\lambda}^{-1}$$
 erg cm<sup>-2</sup> s<sup>-1</sup>  $A^{-1}$  (1)

where  $S_{\lambda}^{-1}$  is the inverse sensitivity for IUE low resolution spectra (Bohlin et al. 1980). If we indicate with  $N_{\lambda}$  the slit integrated net Flux Number per time unit extracted from a high resolution large aperture spectrum of the same target, then the corresponding energy distribution can be written as:

$$F_{\lambda} = N_{\lambda} \left( \frac{n_{\lambda}}{N_{\lambda}} \right) \quad S_{\lambda}^{-1} = N_{\lambda} C_{\lambda} S_{\lambda}^{-1} \text{ erg cm}^{-2} \quad S^{-1} \quad A^{-1}$$
 (2)

where the ratio:

$$C_{\lambda} \equiv n_{\lambda}/N_{\lambda} \tag{3}$$

can be determined empirically from a sample of targets for which both high and low resolution spectra are available. The product  $C_{\lambda}S_{\lambda}^{-1}$  will naturally represent the inverse sensitivity of high resolution spectra.

 $C_{\lambda}$  can be easily determined from pairs of low-high resolution spectra by measuring the average values of  $n_{\lambda}$  and  $N_{\lambda}$  in correspondence to a selected number of spectral windows if possible free of strong spectral features. This method was followed in our first approach to the problem.

A more precise procedure - here followed - consists in convolving high resolution spectra with the point spread function corresponding to low resolution spectra. After the original resolution has been degraded, the spectrum is directly compared point by point, with the corresponding low resolution spectrum. In particular, if  $\lambda_1(i=1,2,\ldots N)$  are the sampled wavelengths in the low resolution spectrum, the convolved high resolution spectrum can be computed as:

$$N_{\lambda_{i}} = \frac{\sum_{K=K_{1}}^{K_{2}} N_{\lambda_{K}} (\lambda_{K} - \lambda_{K-1}) \exp \left[-4 \ln(2) (\lambda_{K} - \lambda_{i})^{2} / \text{FWHM}\right]}{\sum_{K=K_{1}}^{K_{2}} (\lambda_{K} - \lambda_{K-1}) \exp \left[-4 \ln(2) (\lambda_{K} - \lambda_{i})^{2} / \text{FWHM}\right]} (4)$$

where  $K_1$  and  $K_2$  are suitable integration limits over the profile and FWHM is the full width at half maximum of the low resolution point spread function, assumed to be a gaussian. Since FWHM is a slow function of wavelength for both SWP and LWR low resolution spectra, it has been assumed to be a constant in our calculations and namely 6 and 9 Å for SWP and LWR low resolution spectra respectively.

The overlapping parts of the high resolution orders were eliminated using a suitable computer subroutine. Since for wavelengths larger than about 1930 Å in the SWP camera there is no overlap between successive orders, the convolution above was truncated in the appropriate range of wavelengths eventually not covered. This problem does not exist for the LWR camera since the high resolution orders do overlap up to the long wavelength end of the camera.

# III. THE CALIBRATION SAMPLE

The high resolution calibration is based on the analysis of a representative sample of hetercgeneous sources for which both high and low resolution IUE spectra were available. Spectra obtained through the small IUE entrance aperture were not considered since the small aperture transmission depends on the observing conditions and cannot be determined with enough accuracy. However, preliminary results obtained by Ake and Holm (1980), indicate that the ratio between large and small aperture spectra of the same star is grey within ± 3% for high resolution spectra. Therefore relative energy distributions can also be obtained from small aperture high resolution spectra.

The calibration sample includes some of the hot standard stars (BD+28° 4211 and HD 60753) already used for the low resolution absolute calibration (Bohlin et al. 1980) as well as cooler stars and emission line sources. Detailed information on the images used is reported in Table 1a (continuous sources) and Table 1b (emission line sources). Only spectra with suitable exposure times were included in the sample. Over-exposed spectral regions, eventually present in a few spectra, were not considered for the computation of the average  $C_\lambda$ . For some of the targets spectra with different exposure levels were considered in order to detect any dependence of  $C_\lambda$  on the data quality. All spectra were processed at VILSPA using the standard image processing system (SIPS).

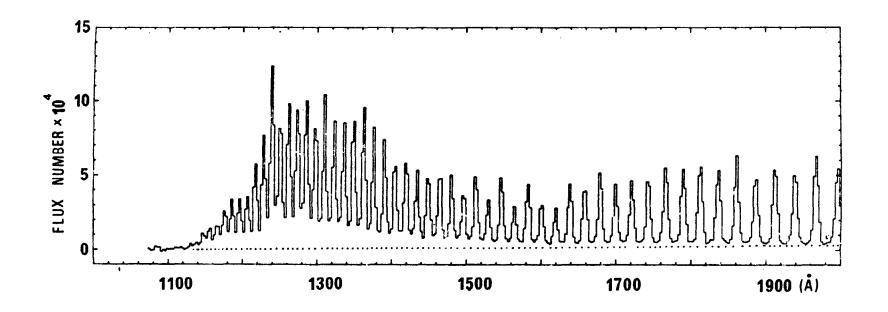
### IV. INTERORDER BACKGROUND

It is well known that the separation between the orders of IUE high resolution spectra rapidly decreases with order number (i.e. with decreasing wavelength) while the width of the orders is only linearily decreasing with the order number. As a consequence, at sufficiently short wavelengths, the flux levels half-way between the orders, where IUE SIPS extracts the background, will be increased by the wings of the adjacent orders. However, the actual contamination of a given order by light from the adjacent orders will be small. Hence, the extracted background at these short wavelengths for both the LWR and the SWP cameras will be artificially enhanced and the net IUE fluxes will be underestimated. This effect will be naturally large, in these wavelength ranges, for spectra of continuous sources while it will be negligible for emission line sources with faint or no continuum detectable at high resolution.

The way the smaller separation of the orders at the short wave ends of the cameras artificially enhances the interorder background for continuous sources is shown in Fig. 1 representing a typical scan of the SWP camera in a direction almost perpendicular to the orders. It is interesting to give a rough evaluation of the magnitude of the effect on the extracted net spectra. To this purpose, let us indicate with  $R_{\lambda}$  the ratio between the true net spectrum  $N_{\lambda}^{\circ}$  (i.e. derived using the true camera background) and the net spectrum  $N_{\lambda}$  currently derived using IUESIPS:

$$R_{\lambda} = N_{\lambda}^{\circ} - /N_{\lambda} \tag{5}$$

where  $N_\lambda$  and  $N_\lambda^\circ$  are both measured at the central wavelength  $\lambda$  of each order. It can easily be shown that, to a first approximation,  $R_\lambda$  is only a function of the distance, D, between two adjacent orders m and m-1 and of the full width at half maximum W of the orders perpendicular to the dispersion direction and not of the kind of object observed. Namely,



Typical cross cut of a high resolution SWP spectrum of a continuous source in a direction perpendicular to the orders passing through the center of the camera. Ordinates give the Gross spectrum in Flux Numbers. The dotted line represents our guess of the true camera background

we have:

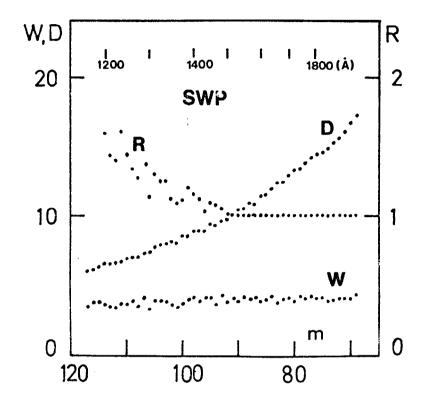
$$R_{\lambda} \simeq \left[1-2\exp\left(-\left(\frac{D}{\overline{W}}\right)^2 \ln 2\right)\right]^{-2} \tag{6}$$

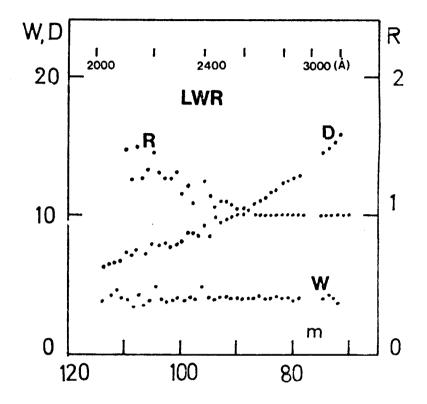
where the wavelength dependence of the right hand term is contained in D and W since  $\lambda = K/m \text{ Å } (K=137725 \text{ for the SWP})$ camera and K=231150 for the LWR camera). In order to determine the behaviour of  $R_{\boldsymbol{\lambda}}\text{,}$  the dependence of D and W on the order number was derived by a least squares fitting of cross scans of the kind shown in Fig. 1 with a sum of gaussian lines following the method described by Cassatella (1976). A linear background level as indicated by the dotted in Fig. 1, representing our guess of the true camera background, was adopted in the fitting. The values of D and W so obtained are plotted in Fig. 2a,b as a function of the order number, together with the corresponding value of  $R_{\lambda}$ . As it appears from the figure, the orders width is almost constant with wavelength. Using the SIPS interorder background level instead of the linear background here adopted would lead to larger values of the order's width at the short wavelength ends of the cameras as shown by Bianchi (1980) and Schiffer (1980). It also appears from the figure that at the short wavelength ends of the cameras the net fluxes extracted from high resolution continuous spectra are currently underestimated up to roughly 60%.

Different considerations apply to the case of emission line objects with faint or no continuum detectable at high resolution. In this case the interorder background is close to the camera background and then  $R_{\lambda}$  is expected to be close to unity at every wavelength. In particular, the results in Fig. 2 indicate that the absolute calibration for emission line sources will deviate from that of continuous sources in the wavelength ranges where  $R_{\lambda}$  is larger than unity (high interorder background regions), i.e. for  $\lambda \in 1500$  Å in the SWP camera and  $\lambda \in 2400$  Å in the LWR camera. Longward of these wavelengths the calibration for either class of objects is expected to be the same.

#### V. RESULTS AND DISCUSSION

The  $C_\lambda$  function was computed for spectra of continuous sources and for emission line objects using the calibration sample in Table 1. The computations were performed separately for the two classes of objects both for the reasons explained in §IV (the  $C_\lambda$  curve is expected to be different at the short wavelength ends of the cameras for the two classes of objects) and for methodological reasons. Actually, due to the faint continuum observed in the high resolution spectra of emission line objects, only the emission lines can be reliably used to derive  $C_\lambda$ , therefore a manual measurement of the line fluxes was preferred instead of applying the convolution in eq. (4).





## FIGURE 2a:

Behaviour of D (distance in pixels between two successive orders) and W (full width at half maximum, in pixels, of the order m measured perpendicular to the dispersion direction) as a function of the order number m for the SWP camera. Also plotted is the function R from equation 6.

### FIGURE 2b:

Same as Figure 2a for the LWR camera.

#### a) Continuous sources

The derived values of  $C_\lambda$  for continuous sources computed in 25 Å bins and averaged over the sample of images in Table 1a is reported in Fig. 3 for the SWP camera and Fig. 4 for the LWR camera together with the corresponding rms deviations of the individual values of  $C_\lambda$  for each bin. The adopted smoothed curve through the data is reported for convenience both in Figs. 3 and 4, and in Table 2.

The rms error on  $C_{\lambda}$  is typically of 4-5% or better for  $\lambda \geqslant 1400$  Å in the SWP camera and  $\lambda \geqslant 2400$  Å in the LWR camera and up to 7-8% shortwards of these wavelengths. The errors found are reasonably close to the reproducibility limits  $(2\sigma \approx 6\%)$  of IUE low resolution spectra (Bohlin et al. 1980, Cassatella et al. 1980), so confirming the validity of the calibration here derived. The larger errors found at the short wavelength ends of the cameras can essentially be ascribed to the lower sensitivity of the cameras in these wavelength regions and to uncertainties in the interorder background in the region where the order overlap is large.

An independent determination of the  $C_{\lambda}$  curve, based on two spectra for each camera of  $\zeta$  Sco and  $\eta$  UMa, provided by Ake and Holm (1980) confirms the results in Table 2.

A few representative examples of application of the high resolution calibration here derived are shown in Figs. 5 and 6 where small spectral intervals of the calibrated and convolved spectra of R Cr B, BD+28° 4211, HD 60573, and HD 102567 are compared with the corresponding low resolution spectra. It appears from these figures that the point to point fluctuations between the pairs of high-low resolution spectra are generally better than 10%, occasionally reaching larger values at a few points. Anyhow, the validity of the calibration is confirmed by the good precision obtained on the integrated fluxes. This is clear from the above figures where, in each spectral window, the percentage deviation of the convolved and calibrated high resolution spectra with respect to the calibrated low resolution spectra is reported.

The  $C_\lambda$  curve for continuous sources is quite accurate even at the short wavelength end of the cameras. This is shown in Fig. 7 where the high resolution SWP convolved spectrum of BD+75° 325 is compared, after calibration, with the corresponding low resolution spectrum.

#### b) Emission line sources

For emission line objects, an independent calibration was derived using the images listed in Table 1b.

In some of the low resolution spectra the continuum was quite strong. Therefore, in order to measure the line fluxes it was first necessary to estimate the location of the stellar continuum. The values of  $C_{\lambda}$  so derived are plotted in the same Figs. 3 and 4 in order to be compared with the  $C_{\lambda}$  curve for continuous spectra. Different symbols are used according to the quality of the measurements.

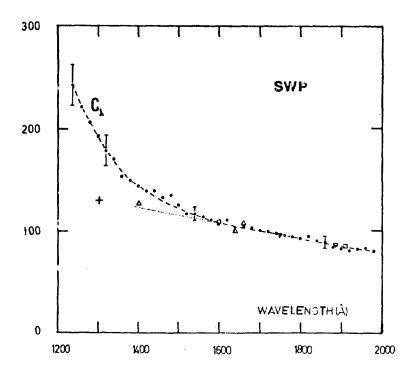


FIGURE 3: C, curve for the SWP camera obtained for: a) Continuous sources (dots and dashed line). b) Emission line spectra with faint or no continuum; the data are labelled according to their quality (+ uncertain; O, O, A, V: reliable values obtained, respectively from 1, 2, 3, or 4 pairs of spectra. Error bars are indicated at a few wavelengths.

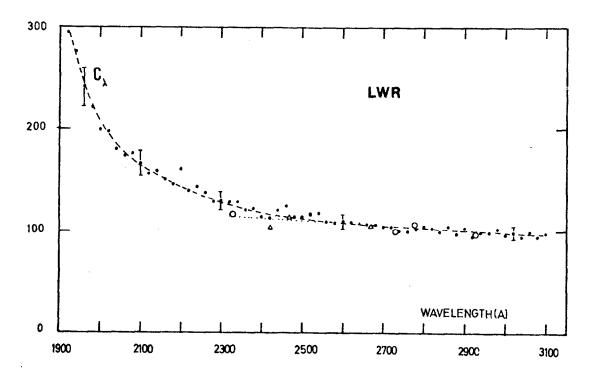


FIGURE 4:  $C_{\lambda}$  curve for the LWR camera. Symbols as for Figure 3.

No good quality data were available for  $\lambda \leqslant 1400$  Å in the SWP spectra and  $\lambda \leqslant 2300$  Å in the LWR spectra. Therefore the high resolution calibration of emission line spectra was crestricted to the following wavelength intervals: 1400-1975 A (SWP camera) and 2300-3100 Å (LWR camera). In these intervals the  $C_{\lambda}$  curve can be fitted to a straight line:

$$C_{\lambda} = 228.009 - 0.0755\lambda \quad 1400 \leqslant \lambda \leqslant 1975 \text{ A}$$
 (7)

$$C_{\lambda} = 167.099 - 0.0229\lambda \quad 2300 \leqslant \lambda \leqslant 3100 \text{ Å}$$
 (8)

The above relations also fit very well the  $C_{\lambda}$  curve for continuous spectra longward of 1575 Å for the SWP camera and 2500 Å for the LWR camera, in approximative agreement with the estimated wavelength limits given in §IV.

The accuracy of eqs. (7) and (8) is about 4.5% longward of 1600 Å in the SWP camera and 2400 Å in the LWR camera, but is less precise shortward of these wavelengths because they are based on less and more uncertain data than for continuous spectra.

Eqs. (7) and (8) were applied to calibrate spectra of the emission line stars V1016 Cyg and RR Tel. Some examples are provided in Fig. 8 from which it appears that a good match is obtained between the calibrated high resolution convolved spectra and the corresponding low resolution spectra.

It is important to note that the present high resolution calibration was derived using the current production Intensity Transfer Functions (ITF) for the SWP and LWR cameras. ITF is the one that was implemented with EXTLOW as described in Bohlin et al. (1980). The SWP ITF is the corrected version documented in Holm (1979). Recently, Holm (1980) has reported about the magnitude of the non linearity in the LWR ITF. According to the preliminary tests, it appears that assigned fluxes may be too high by 10% to 15% for pixels having Flux Numbers less than 4800. Holm (1981) also finds additional non linearity in the SWP ITF such that fluxes assigned to pixels having Flux Numbers less than 2000 may be too low by as much as The effects of these non linearities on the high resolution calibration cannot yet be evaluated. Therefore, we advise users that substantial errors may result if our calibration is applied to underexposed spectra.

#### VI. CONCLUSIONS

It has been shown that a reliable absolute calibration can be obtained for high resolution IUE spectra of point sources obtained through the large entrance slit. The accuracy of the calibration table for continuous sources is typically of the, order of 4-5% for  $\lambda$  > 1400 Å in the SWP camera and  $\lambda$  > 2400 Å in the LWR camera and is slightly worse at shorter wavelengths.

For emission line objects with faint or no continuum the calibration only covers a part of the observed spectral range and it is represented by eqs. (7) and (8). The extension to the short wavelength end of the cameras, where the calibration is expected to be different from that of continuous sources, was prevented by the lack of good quality data in these spectral regions.

#### VII. ACKNOWLEDGEMENTS

We are grateful to Drs. P. Gondhalekar, K. Northover and M. Penston for their useful comments. We also acknowledge the valuable contributions and suggestions by Dr. A. Holm.

#### REFERENCES

Ake, B., Holm, A.: 1980, Report to the 3 Agency Meeting

Bianchi, L.: 1980, private communication

Bohlin, R.C., Holm, A.V., Savage, B.D., Snijders, M.A.J., Sparks, V.M.: 1980, Astron. Astrophys. 85, 1

Cassatella, A.: 1976, Astron. Astrophys. 48, 281

Holm, A.V.: 1979, NASA IUE Newsletter N° 7, p. 27

Holm, A.V.: 1981, private communication

Holm, A.V.: 1980, Report to the 3 Agency Meeting

Schiffer, F.H., III: 1980, Report to the 3 Agency Meeting

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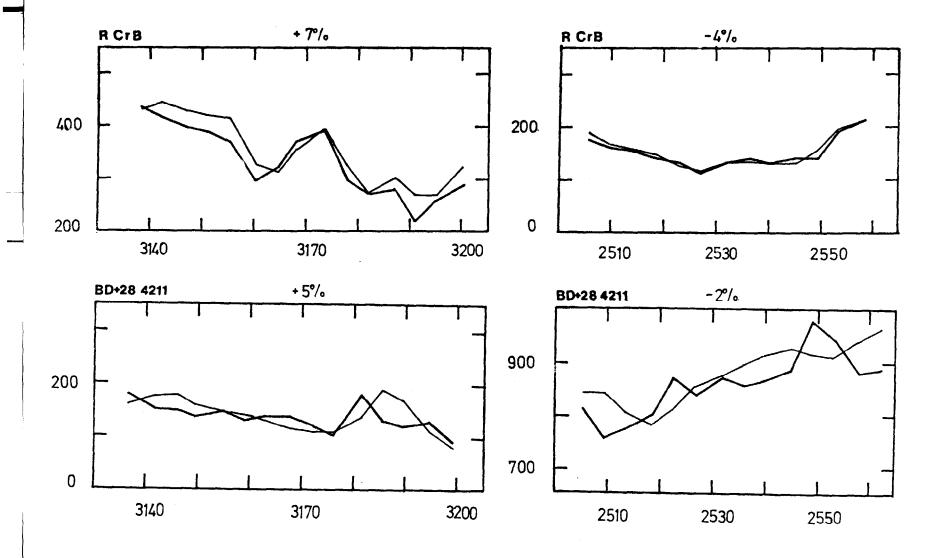
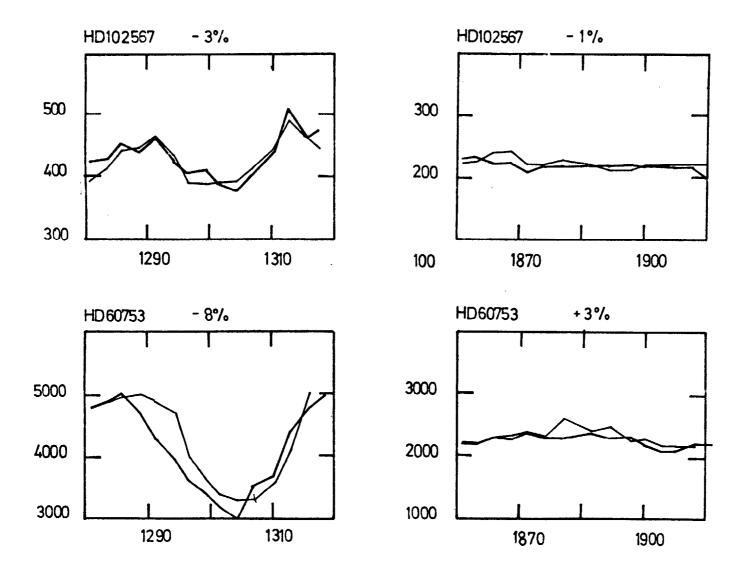
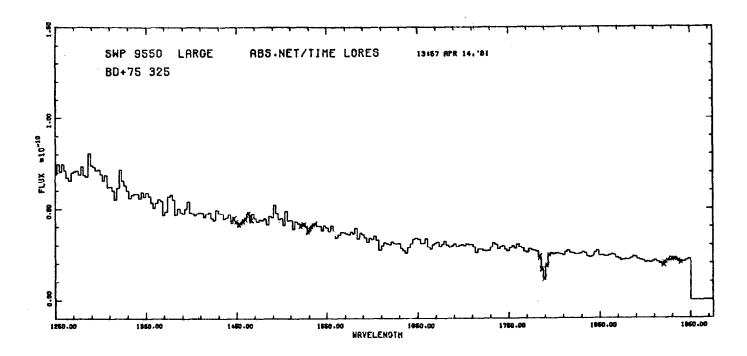


FIGURE 5: Comparison between low resolution LWR spectra of continuous sources with convolved high resolution spectra after the calibration curve in Fig. 4 is applied. Ordinates are in FN/sec. The percentage mean deviation of the total flux (high minus low resolution) in each window is indicated in the figure. Thin line: high resolution convolved and calibrated spectrum; thick line: low resolution spectrum.



Comparison of low resolution SWP sepctra of continuous sources with convolved high resolution spectra after the correction curve in Fig. 3 is applied. Symbols are as in Fig. 5.

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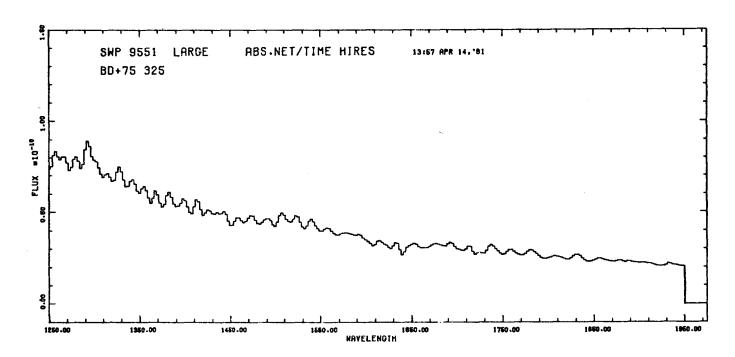
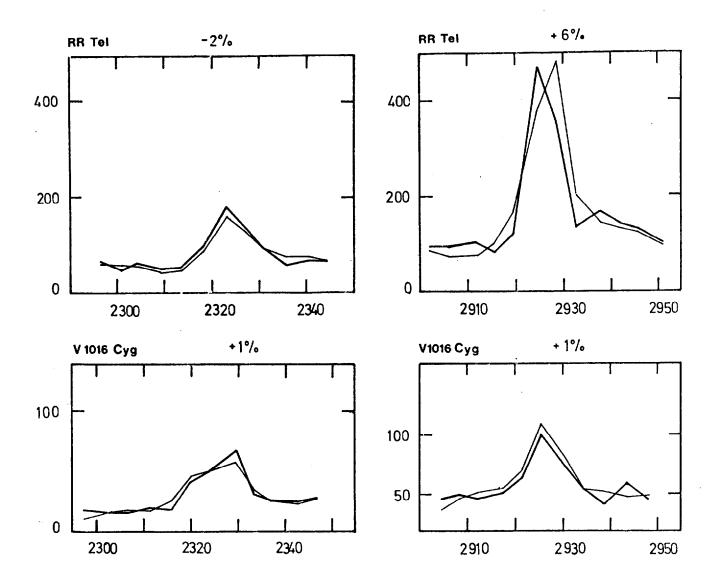


FIGURE 7: Comparison between the energy distribution of BD+75°325 as derived from a low dispersion spectrum (top) and a high resolution convolved and calibrated spectrum (bottom). It is possible to see that a good accuracy is obtained except for a small ripple effect.

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Comparison of low resolution LWR spectra of emission line sources with convolved high resolution spectra after the correction curve in Fig. 4 is applied. Symbols are as in Fig. 5.

TABLE 1 - a) CONTINUOUS SPECTRA

SWP 7292 SWP 5778 SWP 5778 SWP 8279 SWP 8280 SWP 8280 SWP 8281 SWP 8042 SWP 8043 SWP 8043	TO HI TO HI TO HI TO HI	30 2400 30 3600 60 3840 25 2100	18 17 17	DEC 79 DEC 79 MAR 80 MAR 80 MAR 80	5 5 5 5	0 0 0
SWP 7428 SWP 5779 SWP 8279 SWP 8280 SWP 8282 SWP 8281 SWP 8042 SWP 8043 SWP 8703	TO HI TO HI HI HI	2400 30 3600 60 3840 25 2100	18 17 17	DEC 79  MAR 80  MAR 80  MAR 80	5 5 5	0
WP 8279 WP 8280 WP 8282 WP 8281 WP 8042 WP 8043 WP 8703	FO HI FO HI HI	3600 60 3840 25 2100	17 17 17	MAR 80 MAR 80 MAR 80	5 5	0
WP 8279 WP 8280 WP 8282 WP 8281 WP 8042 WP 8043 WP 8703	FO HI FO FO	60 3840 25 2100	17 17	MAR 80 MAR 80	5	
WP 8280 WP 8282 WP 8281 WP 8042 WP 8043 WP 8703	FO HI TO	3840 25 2100	17 17	MAR 80 MAR 80	5	
WP 8282 WP 8281 WP 8042 WP 8043 WP 8703	FO FO	25 2100	17	MAR 80		0
WP 8281 WP 8042 WP 8043 WP 8703	HI LO	2100				
WP 8042 WP 8043 WP 8703	LO		17		5	0
WP 8703		2.6.6		MAR 80	7	0
WP 8703	HI	300		FEB 80	3	4
	<del></del>	14040	25	FEB 80	4	4
11111 UTA	LO	10		APR 80	5	0
WP 8704	HI	780	8	APR 80	5	0
WP 8703	LO	10		APR 80	5	0
WP 8705	HI	960	8	APR 80	5	0
WP 8585	LO	150		MAR 80	6	0
WP 8586	HI	2000	29	MAR 80	5	0
WP 8587	ro	14			5	0
MB 8288	HI	1200	19	MAR 80	5	0
WR 7005	LO	180			6	0
WR 7004	HI	9000	25	FEB 80	4	0
WR 6815	LO	100	-		6	0
WR 5024	HI	4800	12	JUL 79	5	0
WR 6816	ro	80			5	0
WR 5024	HI	4800	12	JUL 79	5	0
WP. 6284	LO	60			5	0
WR 5471	HI	3600	27	AUG 79	4	0
WK 7449	LO	7			5	0
WK /450	НŢ	720	8	APR 80	5	0
WR 8104	LO	6			5	0
WK 8103	HT	570	22	10N 80	6	0
WR 8106	LO	11		08 NUL 08 NUL	5 5	0 <b>0</b>
	WP 8588 WR 7005 WR 7004 WR 6815 WR 5024 WR 6816 WR 5024 WP 6284 WR 5471 WR 7449 WR 7450 WR 8104 WR 8103 WR 8106	WP 8588 HI  WR 7005 LO  WR 7004 HI  WR 6815 LO  WR 5024 HI  WR 6816 LO  WR 5024 HI  WR 6284 LO  WR 5471 HI  WR 7449 LO  WR 7450 HI  WR 8104 LO  WR 8104 LO  WR 8103 HI	WP 8588 HI 1200  WR 7005 LO 180  WR 7004 HI 9000  WR 6815 LO 100  WR 5024 HI 4800  WR 6816 LO 80  WR 5024 HI 4800  WR 6284 LO 60  WR 5471 HI 3600  WR 7449 LO 7  WR 7450 HI 720  WR 8104 LO 6  WR 8104 LO 6  WR 8105 LO 11	WP 8588 HI 1200 19 WR 7005 LO 180 25 WR 7004 HI 9000 25 WR 6815 LO 100 29 WR 5024 HI 4800 12 WR 6816 LO 80 29 WR 5024 HI 4800 12 WR 6284 LO 60 2 WR 5471 HI 3600 27 WR 7449 LO 7 8 WR 7450 HI 720 8 WR 8104 LO 6 22 WR 8103 HI 570 22	WP 8588 HI 1200 19 MAR 80  WR 7005 LO 180 25 FEB 80  WR 7004 HI 9000 25 FEB 80  WR 6815 LO 100 29 JAN 80  WR 5024 HI 4800 12 JUL 79  WR 6816 LO 80 29 JAN 80  WR 5024 HI 4800 12 JUL 79  WR 6284 LO 60 2 DEC 79  WR 5471 HI 3600 27 AUG 79  WR 7449 LO 7 8 APR 80  WR 7450 HI 720 8 APR 80  WR 8104 LO 6 22 JUN 80  WR 8104 LO 6 22 JUN 80  WR 8103 HI 570 22 JUN 80	WP 8588 HI 1200 19 MAR 80 5 WR 7005 LO 180 25 FEB 80 6 WR 7004 HI 9000 25 FEB 80 4 WR 6815 LO 100 29 JAN 80 6 WR 5024 HI 4800 12 JUL 79 5 WR 6816 LO 80 29 JAN 80 5 WR 5024 HI 4800 12 JUL 79 5 WR 6824 HI 4800 12 JUL 79 5 WR 6284 LO 60 2 DEC 79 5 WR 5471 HI 3600 27 AUG 79 4 WK 7449 LO 7 8 APR 80 5 WR 7450 HI 720 8 APR 80 5 WR 7450 HI 720 8 APR 80 5 WR 8104 LO 6 22 JUN 80 5 WR 8104 LO 6 22 JUN 80 5 WR 8105 LO 11 23 JUN 80 5

TABLE 1 - b) EMISSION LINE SPECTRA

TARGET	IMAGE	RESOLUTION	DURATION (sec)	DATE	QUALITY* C E
RR Tel	SWP 8607	LO	75	31 MAR 80	2 6
(symbiotic)	SWP 9606	HI	300	31 MAR 80	1 6
	SWP 8606	LO	90	31 MAR 80	2 6
	SWP 8609	HI	600	31 MAR 80	1 6
	SWP 7355	LO	180	31 MAR 80	2 6
	SWP 7356	HI	800	31 MAR 80	1 6
	SWP 8911	LO	35	4 MAY 80	2 6
	SWP 9812	HI	600	4 MAY 80	2 6
	SWP 8606	HI	90	31 MAR 80	2 6
	SWP 8608	LO	300	31 MAR 80	1 6
	SWP 8607 SWP 8609	HI LO	75 600	31 MAR 80 31 MAR 80	2 6 2 6
	SWP 10553 SWP 10554	LO HI	30 1200	5 NOV 80 5 NOV 80	2 5 2 6
	LWR 7662	LO	150	4 MAY 80	2 6
	LWK 7663	HI	1380	4 MAY 80	2 6
	LWR 9239	HI	180	5 NOV 80	3 6
	LWR 9238	TO	1800	5 NOV 80	2 6
V1016 Cyg	SWP 5611	LO	1200	24 JUN 79	5 9
(symbiotic)	SWP 5613	HI	3600	24 JUN 79	0 7
	SWP 5611 SWP 5612	HI	1200 1200	24 JUN 79 24 JUN 79	5 9 0 5
	LWR 6225	FO	300	25 NOV 79	3 7
	LWR 6229	HI	9720	25 NOV 79	3 7
	LWR 6226	TO	100	15 NOV 79	3 7
	LWR 6228	HI	3240	15 NOV 79	2 6
	SWR 6227	HI	900	25 NOV 79	5 8
	LWR 6229	TO	9720	25 NOV 79	3 7
CI Cyg	SWP 9255	HI	2400	10 JUN 80	2 6
(symbiotic)	SWP 9256	LO	10800	10 JUN 80	1 6
Z And	SWP 9940	LO	3600	28 AUG 80	4 6
(symbiotic)	SWP 9939	HI	2400	28 AUG 80	1 5

<sup>\*</sup> The Quality factor is a measure of the exposure level of the spectrum in both the continuum (C) and the emission lines (E). It ranges from Ø (no exposure) to 9 (completely saturated). A well exposed spectrum will have a quality factor of about 5.

ПП

TABLE 2

# a) SWP CAMERA

## b) LWR CAMERA

WAVELENGTH (A)	c <sub>λ</sub>	WAVELENGTH (A)	c <sub>\lambda</sub>	
1250	230	1925	292	
1275	208	1950	259	
1300	193	1975	229	
1325	176	2000	207	
1350	163	2025		
1375	152	2023	191	
1400	143		180	
1425	136	2075	171	
1450		2100	165	
1475	131	2125	159	
1500	126	2150	153	
	122	2175	149	
1525	118	2200	143	
1550	114	2225	139	
1575	110	2250	136	
1600	108	2275	132	
1625	105	2300	129	
1650	103	2325	126	
1675	101	2350	122	
1700	100	2375	120	
1725	98	2400	118	
1750	96	2425	116	
1775	94	2450	115	
1800	92	2475	114	
1825	90	2500	113	
1850	88	2525	112	
1875	86	2550	110	
1900	84	2575	109	
1925	82	2600	108	
1950	81	2625	107	
1975	80	2650	106	
		2675	105	
		2700	104.5	
		2725	104.0	
		2750	103.5	
		2775	103.3	
		2800	102.5	
		2825	102.0	
		2850	101.5	
		2875		
		2900	100.5	
		2900	100.2	
		2925	100.0	
			99.5	
		2975	99.0	
		3000	98.5	
		3025	98.0	
		3050	97.5	
		3075	97.0 96.5	
		3100		